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DTA STUDY OF TEMPERATURE CHRACTERISTICS IN DEPENDANCE ON COMPO-SITION FOR GLASSES IN THE CaO - MgO - Al_2O_3 - SiO_2 - B_2O_3 SYSTEM.

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ABSTRACT

The analytical expressions for the positions of characteristic temperature points on DTA-curves for glasses in the system CaO - MgO - Al_O_3 - SiO_2 - B_O_3 (CMASB) wereobtained by multilinear regression analysis. The expressions for the dependence of individual characteristic temperature points on glass composition are valid in the region determined by standard composition of the commercial glass EUTAL eltering concentrations of all the oxides up to - 4 mass %.

INTRODUCTION

As Yammamoto¹ showed, it is possible to give a physical interpretation for the characteristic points on DTA-curves of glasses. He suggested a method based on this proposal for determination of characteristic temperatures corresponding to some viscosity points. In the paper submited the dependence of some point positions on DTA-curves upon the composition of system, which represents a base for the commercial glass EUTAL, is investigated.

MEASURING METHODS

The DTA-curves were measured by DTA-analyser NETZSCH 404. The heating rate was 10° C/min, registration sensibility 4 µV/cm. 0.5 g of a sample was prepared as a powder having grain size less than 0.016 mm. As a reference material powdered d-Al₂0₃ was used. The measurements were carried out in Pt-crucibles in open air-atmosphere.

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RESULTS AND DISCUSSION

41 glass samples of the CMASB-system were investigated in this study. Compositions of the glasses obtained by chemical analysis are shown in table 1. In the difference of Yammamotos' work¹ four important points were observed on the DTA-curves: T_g - transition point, M_g - incipient deformation point, B_c - beginning of crystallization, T_{soft} - Littletons' softening point. Temperature of each important point was expressed as a function of composition by following regression relation

$$T(\vec{e}) = \sum_{i} \sum_{j} \sum_{k} \sum_{lm} A_{i,j,k,l,m} \cdot c_{1}^{i} c_{2}^{j} c_{3}^{k} c_{4}^{l} c_{5}^{m}$$

where $c_1 - c_5$ are concentrations of the oxides in mass percentage in the sequence: CaO, MgO, Al₂O₃, SiO₂, B₂O₃. Optimal regression functions were obtained by the least squares method including statistically important coefficients A only and a maximal value of Fischers' criterion (defined by the experimental to residual dispersion ratio) was required, too.

Values of the exponents i, j, k, l, m and the coefficients $A_{i,j,k,l,m}$ of regression functions for T_g , M_g , B_c and T_{soft} are presented in tabs. 2 - 5. In tab. 6 experimental values of the temperatures are compared with values calculated using the regression functions.

Results presented in tab. 6 anable us to suppose that the regression formulas suggested in this paper are suitable for calculating individual characteristic temperatures with a precision sufficient for practice. Since these are interpolation formulas it is obvious, that they can not be used to extrapolate outside the region of their validity, which is given by the concentration range of CMASB glasses studied.

Table 1.: (Composition	of	the	samples	in	mass	X
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Sample	%Ca0	%MgC	%A1203	%S102	%B203
1	18.72	3.85	14.88	53.82	7.93
2	18.79	3.77	14.77	49.58	12.08
3	18.64	3.87	14.01	51.97	10.25
4	18.66	3.81	14.97	55.78	6.16
5	18.66	3.87	14.97	57.21	4.29
6	- 18.67	3.84	18.9	49.78	8.06
7	18.57	3.93	16.77	52.04	7.94

Table 1.: Continuation

Sample	%Ca0	%MgO	%A1203	%Si02	% ^B 2 ^O 3
8	18.65	3.97	13.05	55.34	8.01
9	18.71	3.84	11.08	57.85	8.08
10	19.01	3.84	11.13	53.69	11.6
12	19.00	3.9	17.1	55.8	4.18
13	18.62	3.85	18.85	53.54	4.15
14	18.5	0.00	18.87	53.58	8.18
15	18.41	1.9	16.95	53.48	8.3
16	18.77	5.81	12.93	53.46	8.28
17	18.43	7.91	11.1	53.52	8.18
19	18.52	2.14	15.07	53.54	10.21
20	18.65	6.05	14.98	53.72	6.22
21	19.21	7.68	14.94	53.61	4.12
22	15.14	7.79	14.96	53.36	8.00
23	16.94	5.91	15.01	53.47	8.18
24	20.61	2.15	14.99	53.44	8.24
25 26 27 28	14.82 16.75 20.64	4.00 4.00 4.13	19.06 14.79 14.9 15.04	53.49 53.92 53.51 53.65	8.14 11.84 9.89 6.15
29	18.32	3.66	14.02	58.56	5.44
30	22.66	3.99	14.84	53.42	4.22
31	16.74	3.95	16.94	53.64	8.04
32 33 34	14.66 22.56 22.68 20.67	4.01 4.04 4.15	18.98 11.03 15.11	53.47 53.29 49.79	8.02 8.16 7.89 7.77
36 37 38	16.74 14.87 19.11	4.04 4.05 3.98 7.95	15.07 15.09 15.1 14.97	55.27 57.55 49.41	7.89 8.05 8.1
39	18.77	6.15	14.98	51.64	8.07
40	18.57	2.15	14.98	55.46	8.07
41	18.55	0.00	15.09	57.45	8.01

Table 2.:

Regression function for T_{σ}

		Б
A(i,j,k,l,m)	ijklm	_
+5.3307E+3 -1.0804E+2 +1.2695E+1 -1.3839E+2 +1.0410E+0 -8.1309E+1 +1.5467E+0 -5.0746E-1 +9.0757E-3	0 0 0 0 0 0 0 0 0 0 0 2 0 0 0 0 2 0 1 0 0 0 0 0 1 0 0 0 0 0 1 0 0 1 0 0 0 0 1 1 1	

Table 3.:			
Regression	function	for	Mg

A(i,j,k,l,m)	ijklm
-5.6332E+0	00001
+1.6965E+2	00100
-1.1533E+1	00200
-2.6704E+0	01000
+2.6771E-1	02000
-2.0292E+0	10000
+2.5963E-1	00300

Table 5.:

A(i,j,k,l,m)

-1.0866E+3

+1.0765E+2 +2.3006E+1 +2.5108E+1 -2.2899E+0 -4.1473E-1 +1.3695E-1 +5.1033E-2 -5.9060E-2

Regression function for T_{soft}

i j k l m 0 0 0 0 0

 $\begin{array}{c} 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 1 \\ 0 & 0 & 0 & 1 & 0 \\ 1 & 0 & 0 & 0 & 0 & 1 \\ 1 & 0 & 1 & 0 & 0 \\ 0 & 3 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 & 1 & 1 \end{array}$

Table 4.:

Regression function for B

A(1,J,k,l,m)	l	J	k	1	m
-8.6999E+2 +7.6006E+1 +3.9435E-1 +1.6352E+2 -4.9710E+0 -2.3556E+0	000000	000000	0 0 0 1 1 1	0 0 2 0 0 1	0 1 0 0 1 0

Toble 6.: Comparison measured vs. calculated values (truncated)[OC]

REFERENCES

1 A. Yammamoto, Proc. of the 1st International Conference on TA, Aberdeen 1965, McMillan Co., London 1965